Ideology and Information in Policymaking

Massimo Morelli and Richard Van Weelden

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Motivation

- In representative democracy there is the incentive for "pandering" by politicians (e.g. Maskin and Tirole 2004, Canes-Wrone et al. 2001).
- On what issues are we likely to see pandering by elected officials?
- Do politicians pander more or less when voters are more divided? When voters are more sure of their preferences?

This Paper

- Two period model, based on Maskin and Tirole (2004).
- Politicians better informed than voters about the state of the world, but may or may not share the preferences of the majority of voters.
- Unlike Maskin and Tirole (2004) add ex-ante uncertain "valence" so that re-election outcomes are non-deterministic.
- Politicians have greater incentive to pander on issues with greatest electoral benefit.
- Consider how this relates to the divisiveness of the issue and voter uncertainty.

Summary of Results

- As there is greater room for updating about the politician on a more divisive issue, greater incentive to pander on such issues.
- Increasing the size of the minority can increase the incentives to pander and thus increase likelihood action biased against the minority (e.g. McCarthyism).
- Greater incentive to pander on issues on which voters are more certain the action they prefer (e.g. social issues as opposed to monetary policy).
- A little knowledge can be dangerous: if uninformed voters are made more informed can induce pandering and result in lower welfare.

Outline







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Model

• Two periods $t \in \{0, 1\}$.

- In each period politician chooses between two actions *ω*_t ∈ {*a*, *b*}.
- Two types of voters, $x \in \{a, b\}$, with $\pi > 1/2$ of type x = a.
- Three states of the world $\theta_t \in \{a, b, n\}$, i.i.d. across periods.

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$$Pr(\theta_0 = a) = Pr(\theta_0 = b) = \sigma$$
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- In state a (b) all voters prefer action a (b). In state n there is disagreement among voters.
- Voters also receive utility from the politician's valence $v \in \mathbb{R}$.

• Preferred action of a type x voter in state θ is

$$\omega_{\theta}^{\mathsf{x}} = \begin{cases} \mathsf{a} & \text{if } \theta = \mathsf{a} \\ \mathsf{b} & \text{if } \theta = \mathsf{b} \\ \mathsf{x} & \text{if } \theta = \mathsf{n} \end{cases}$$

Stage game payoff for a voter of type x is

$$u^{\mathsf{x}}(\omega,\theta) = \begin{cases} \mathsf{v} & \text{if } \omega = \omega_{\theta}^{\mathsf{x}} \\ -\frac{1}{1-2\sigma} + \mathsf{v} & \text{if } \omega \neq \omega_{\theta}^{\mathsf{x}} \end{cases}$$

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Two periods with discount factor $\beta \in (0, 1)$.

Politicians

- Assume distribution of politician types same as voters (statics depend on distribution of politicians rather than voters).
- Politicians receive payoff G from choosing policy preferred by voters of their type.

- Payoff of *R* from holding office each period.
- If not in office, payoff of 0.
- Common discount factor $\beta \in (0, 1)$.
- As in Maskin and Tirole (2004), define $\delta = \beta \frac{G+R}{G}$.

The timing of the game is as follows:

- 1 At time-0 nature determines type of incumbent, $x \in \{a, b\}$, state of the world $\theta_0 \in \{a, b\}$, and politician valence $v \in \mathbb{R}$. The politician observes x and θ_0 not v, voters observe none.
- **2** The politician chooses action $\omega_0 \in \{a, b\}$, publicly observed.
- 3 The voters and politician observe the politician's valence v.
- 4 Vote, by majority rule, whether to retain the politician or replace with random draw of politicians.
- 5 All players receive their payoff from the initial period.
- 6 At time t = 1 the politician in office observes $\theta_1 \in \{a, b\}$ and chooses policy $\omega_1 \in \{a, b\}$, and payoffs received.

Three differences with Maskin and Tirole (2004):

- **1** Voters have heterogenous preferences.
- 2 Three states of the world instead of two: voters know which way they are biased, but politicians have information which is potentially valuable.
- **3** Politician valence: outcome of future elections uncertain when politicians choose action.

- A signaling game, so many equilibria.
- Consider equilibria in which politician's first period action depends only which action they prefer in initial period: Two incumbents who each receive *G* from action, x₀ ∈ {a, b}, must choose action that action with the same probability.

- Ignore pooling on action *b*.
- With these restrictions equilibrium is unique.

Equilibria of the Game

Definition

Pandering and Sincere Equilibria

A Perfect Bayesian Equilibrium is:

- **1** a **sincere equilibrium** if all politicians choose $\omega_0 = x_0$ at time 0.
- **2** a **pandering equilibrium** if all politicians choose $\omega_0 = a$ regardless of the state of the world.
- **3** a **partial-pooling equilibrium** if politicians with $x_0 = a$ choose $\omega_0 = a$ and politicians with $x_0 = b$ randomize with a non-degenerate probability.

Outline









Proposition

Equilibrium characterization.

For any $\pi \in (\frac{1}{2}, 1)$, there exist $\delta_s(\pi, \sigma), \delta_p(\pi, \sigma)$ with $0 < \delta_s(\pi, \sigma) < \delta_p(\pi, \sigma)$, such that

- **1** there exists a sincere equilibrium if and only if $\delta \in (0, \delta_s(\pi, \sigma)].$
- 2 there exists a pandering equilibrium if and only if $\delta \in [\delta_p(\pi, \sigma), \infty).$
- 3 there exists a partial-pooling if and only if $\delta \in (\delta_s(\pi, \sigma), \delta_p(\pi, \sigma))$. This equilibrium is unique.

- When δ small (impatient and/or policy motivated), sincere equilibrium.
- When δ is large (patient and/or office motivated), pandering equilibrium.

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Intermediate δ , partial pooling equilibrium.

Proposition

Comparative Statics

- **1** $\delta_s(\pi, \sigma)$ and $\delta_p(\pi, \sigma)$ are strictly increasing in π on $(\pi^*, 1)$, where $\pi^* \in (1/2, 1)$.
- **2** $\delta_p(\pi, \sigma)$ is strictly decreasing in π on $(1/2, \pi^*)$.
- 3 $\delta_s(\pi,\sigma)$ and $\delta_p(\pi,\sigma)$ are strictly increasing in σ .
- 4 as π approaches 1,

$$\lim_{\pi\to 1} \delta_{s}(\pi,\sigma) = \lim_{\pi\to 1} \delta_{p}(\pi,\sigma) = \infty,$$

but $\lim_{\pi \to \frac{1}{2}} \delta_s(\pi, \sigma)$ and $\lim_{\pi \to \frac{1}{2}} \delta_p(\pi, \sigma)$ are finite.

- Effect of the size of minority on pandering non-monotonic; if minority is small, increasing the size of minority increases likelihood of pandering.
- If δ is high, always have pandering on divisive issues, but sincere behavior on issues when $\pi \approx 1$.
- Greater divisiveness can lead to greater pandering, and more "inflexible" first period actions.

Greater likelihood of pandering on low σ issues. (e.g. abortion, same-sex marriage).

Proposition

Probability of Action a Being Taken Suppose $\delta > \delta_p(\pi^*(\sigma), \sigma)$. Then there exist π_1, π_2, π_3 with $1/2 \le \pi_1 < \pi_2 < \pi_3 < 1$ such that 1 $Pr(\omega_0 = a|\pi) = 1$ for all $\pi \in (\pi_1, \pi_2]$. 2 $Pr(\omega_0 = a|\pi) < 1$ for all $\pi \in (\pi_2, 1)$. 3 $Pr(\omega_0 = a|\pi)$ is increasing for $\pi \in (\pi_3, 1)$ with $\lim_{\pi \to 1} Pr(\omega_0 = a|\pi) = 1 - \sigma$.

 Action most biased against minority when minority not too small.

First Period Action and Size of the Majority



This graph for σ = ¼, and δ = 3, and valence normally distributed with variance ¼.

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Effect of Uncertainty

- In a pandering equilibrium, welfare is lower the higher σ is.
- When there is higher σ, less incentive to pander (see empirical findings in Canes-Wrone and Shotts 2004).
- If increasing σ decreases pandering this can increase welfare.
- When δ is large, get pandering equilibrium unless σ is very large.

Proposition

First Period Welfare

For all $\pi \in (1/2, 1)$, there exists $\overline{\delta}(\pi)$ such that, for all $\delta > \overline{\delta}(\pi)$ there exist $\sigma_p(\pi, \delta)$, $\sigma_s(\pi, \delta)$ with $0 < \sigma_p(\pi, \delta) < \sigma_s(\pi, \delta) < 1/2$ such that,

- **1** the expected first period utility of both the majority and minority type are decreasing in $\sigma \in (0, \sigma_p(\pi, \delta))$.
- 2 the expected first period utility of both the majority and minority type are increasing in $\sigma \in (\sigma_p(\pi, \delta), \sigma_s(\pi, \delta))$.
- 3 the expected first period utility of both the majority and minority type are constant in $\sigma \in (\sigma_s(\pi, \delta), 1/2)$

First Period Welfare and Information



This graph for π = ³/₄, and δ = 3, and valence normally distributed with variance ¹/₄.

Two-Period Welfare

- Sincere equilibrium preferred by majority voter when σ is large.
- When δ is large switch between sincere and pandering with high σ .
- Pandering also bad for selection, so second period welfare goes in the same direction.

Corollary

Two-Period Welfare

For all $\pi \in (1/2, 1)$ there exists $\delta^*(\pi)$ such that, for all $\delta > \delta^*(\pi)$, the expected utility of both the majority and minority type are increasing in $\sigma \in (\sigma_p(\pi, \delta), \sigma_s(\pi, \delta))$.

Outline









Effectiveness of Representative Democracy

- On divisive issues, representative democracy susceptible to pandering – politicians ignore their expertise.
- When politicians have little information advantage over voters, likely to see pandering, but this is good for (first-period) welfare.
- In environments with much voter uncertainty, pandering would be harmful, but unlikely to occur in equilibrium.

 Socially inefficient pandering most likely to occur for intermediate levels of politician information advantage.

Conclusions

- Incentives to pander depend on the the specific features of the issue.
- Greater incentive to pander on issue with large amount of heterogeneity than when broad agreement.
- Greater incentive to pander when voters are more sure which action is in their interest.
- In some cases, welfare can be higher in a world where voters face greater uncertainty.